

REVIEW: Proofs & Angles and Parallel Lines/Transversals

Tuesday, October 28, 2025 9:20 PM

STUDY VOCAB FOLDER MODULE 2 & 3. STUDY NOTES 2.1/2.2 AND 3.7

STUDY FROM YOUR JOURNAL ENTRIES 6,7, AND 8.

MAKE SURE YOU COMPLETED THE FOLLOWING: MCGRAW HILL PROOFS & PARALLEL LINES/TRANSVERSALS HW, TEAMS PROOFS/ANGLES QUIZ *honestly did your best!

Know your angles:
Complementary 90
Supplementary 180

How to solve problems involving complementary & supplementary angles.

Find the measures of two complementary angles if the measure of the larger angle is five more than four times the measure of the smaller angle.

Diagram: Two adjacent angles forming a right angle. The smaller angle is labeled x and the larger angle is labeled $4x+5$. A right angle symbol is shown.

Equations:
 $4x+5 + x = 90$
 $5x+5 = 90$
 $-5 \quad -5$
 $5x = 85$
 $\frac{5x}{5} = \frac{85}{5}$
 $x = 17$

The difference between the measures of two supplementary angles is 18° . Find the measure of each angle.

Diagram: Two adjacent angles forming a straight line. The smaller angle is labeled x and the larger angle is labeled $x-18$. A straight line is shown.

Equations:
 $x + x - 18 = 180$
 $2x - 18 = 180$
 $+18 \quad +18$
 $2x = 198$
 $\frac{2x}{2} = \frac{198}{2}$
 $x = 99$

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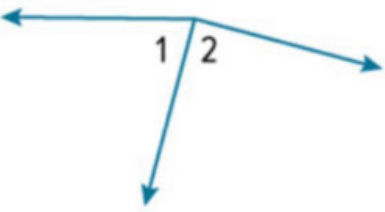
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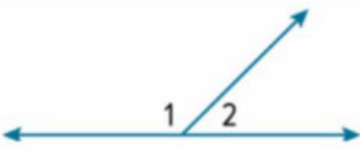
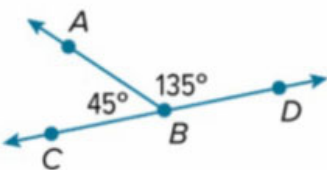
Example 2
Perpendicular Lines

$7x+10 + 8x+5 = 90$

$2x = 198 = 99$

Know what adjacent angles and linear pair angles are:

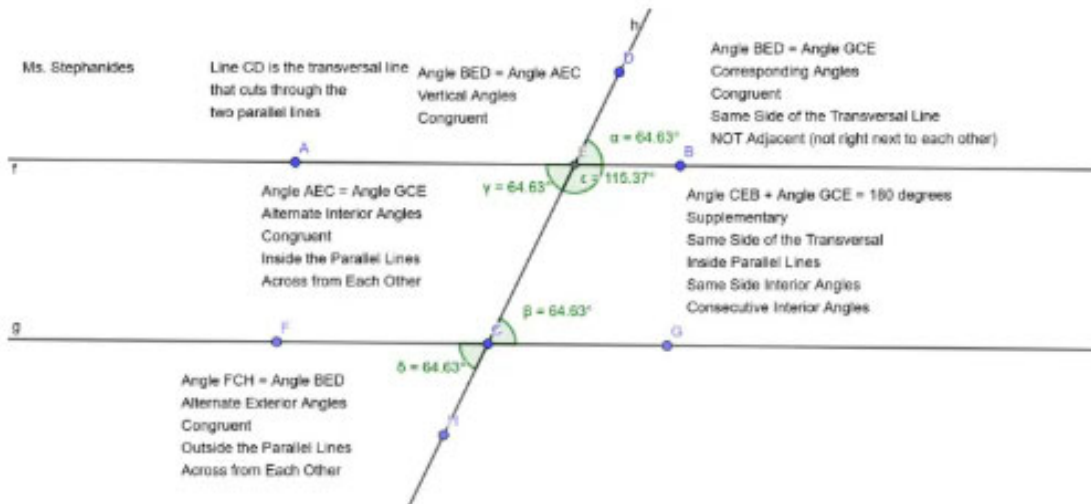
Special Angle Pair Definition	Examples
Adjacent angles are two angles that lie in the same plane, have a common vertex and a common side, but have no common interior points.	 <p>$\angle 1$ and $\angle 2$ are adjacent angles.</p>

Special Angle Pair Definition	Examples
A linear pair is a pair of adjacent angles with noncommon sides that are opposite rays.	 <p>$\angle 1$ and $\angle 2$ are a linear pair.</p>
The sum of the angle measures is 180° .	

*Know that a linear pair is also considered supplementary and called a "straight angle" = 180 which also happens to be adjacent angles.

Know all the properties and names of angles created by parallel lines and transversals. Know how to solve the angle degrees with algebraic expressions whether to set them up to equal each other or add up to be supplementary (=180 degrees) *the consecutive/same side interior angles.

Also know how to find all eight angle degrees given one angle (for example if angle 1 in the picture below is 42 degrees find all of the angle degrees!)



INQUIRY How do parallel lines affect the relationships between special angle pairs?

Learn Angles and Parallel Lines

If two lines are parallel and cut by a transversal, then there are special relationships in the angle pairs formed by the lines.

Theorem → Corresponding Angles Theorem
If two parallel lines are cut by a transversal, then each pair of corresponding angles is congruent.

$\angle 1 = \angle 3$ $\angle 2 = \angle 4$
 $\angle 5 = \angle 7$ $\angle 6 = \angle 8$

Theorem → Alternate Interior Angles Theorem
If two parallel lines are cut by a transversal, then each pair of alternate interior angles is congruent.

$\angle 2 = \angle 6$ $\angle 3 = \angle 7$

Theorem → Alternate Exterior Angles Theorem
If two parallel lines are cut by a transversal, then each pair of alternate exterior angles is congruent.

$\angle 8 = \angle 4$ $\angle 1 = \angle 5$



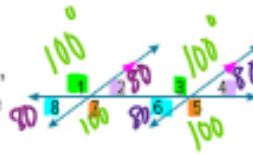
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Learn

Angles and Parallel Lines *Supplementary linear pair $\angle 1 + \angle 8 = 180$*

If two lines are parallel and cut by a transversal, then there are special relationships in the angle pairs formed by the lines. *$\angle 1 \cong \angle 7$
Vertical $\angle 5$*



Theorem 3.14: Corresponding Angles Theorem

If two parallel lines are cut by a transversal, then each pair of corresponding angles *is congruent*.

$$\begin{aligned}\angle 1 &\cong 3, \\ \angle 2 &\cong \angle 4, \\ \angle 5 &\cong 7, \\ \angle 6 &\cong \angle 8\end{aligned}$$



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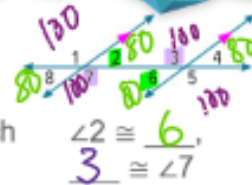
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Angles and Parallel Lines

Theorem 3.15: Alternate Interior Angles Theorem

If two parallel lines are cut by a transversal, then each pair of alternate interior angles *is congruent*.



$$\begin{aligned}\angle 2 &\cong 7, \\ \angle 3 &\cong \angle 6\end{aligned}$$

Theorem 3.16: Consecutive Interior Angles Theorem

If two parallel lines are cut by a transversal, then each pair of consecutive interior angles *is supplementary*.

$$\angle 2 \text{ and } 3, \angle 6 \text{ and } 7$$

inside parallel lines

next to not linear same side of transversal

180



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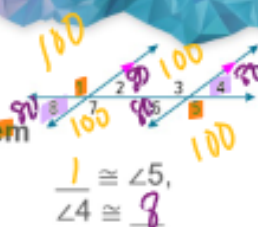
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Angles and Parallel Lines

Theorem 3.17: Alternate Exterior Angles Theorem

If two parallel lines are cut by a transversal, then each pair of alternate exterior angles *is congruent*.

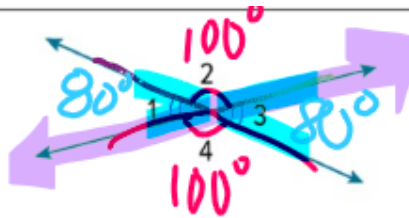


$$\begin{aligned}\angle 1 &\cong \angle 5, \\ \angle 4 &\cong \angle 8\end{aligned}$$

Vertical angles are the two nonadjacent angles formed by two intersecting lines.

opposite \cong

Vertical angles are congruent.



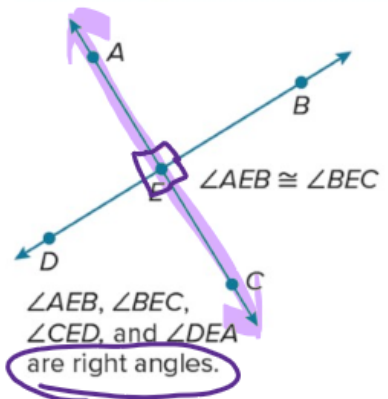
$\angle 1$ and $\angle 3$ are vertical angles. $\angle 2$ and $\angle 4$ are vertical angles.

Lines, segments, or rays that intersect at right angles are **perpendicular**. Segments or rays can be perpendicular to lines or other line segments and rays. The right angle symbol indicates that the lines are perpendicular.

90°

Perpendicular lines intersect to form four right angles.

Perpendicular lines intersect to form congruent adjacent angles.




*KNOW HOW TO NAME AN ANGLE (3 POINTS WITH THE VERTEX AS THE MIDDLE POINT) SEE EXAMPLES ABOVE.

Know whether lines are skew, intersecting, or parallel (same with planes)

Identify Parallel and Skew Relationships

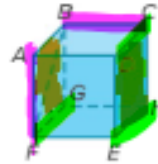
Identify each of the following using the cube shown. Assume lines and planes that appear to be parallel or perpendicular are parallel or perpendicular, respectively.

- a. one line skew to \overline{BC} 2 letters to name a line AF
- b. two lines parallel to \overline{EH} \overleftrightarrow{CD} \overleftrightarrow{FG}
- c. one plane parallel to plane DCH
3 points to name a plane
Plane ABG
- 

- b. two lines parallel to \overline{EH} \overline{CD} \overline{FG}

- c. one plane parallel to plane DCH

3 points to name a plane
Plane ABC



PROOFS:

Know that all proofs start with what is "given" and the last statement is what they are asking you to "prove"

Know your Properties: addition, subtraction, division, distributive, transitive, symmetric, substitution, definition of congruence, angle addition property, midpoint theorem